

CS 523: Computer Graphics, Spring 2009

Shape Modeling

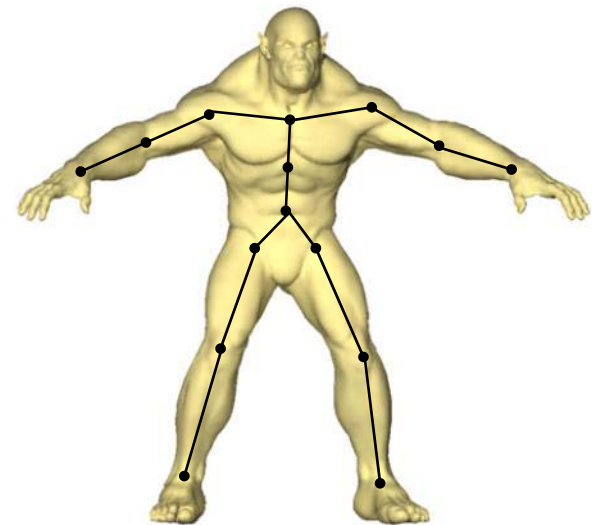
Skeletal deformation

Believable character animation

- Computers games and movies
- Skeleton: intuitive, low-dimensional subspace

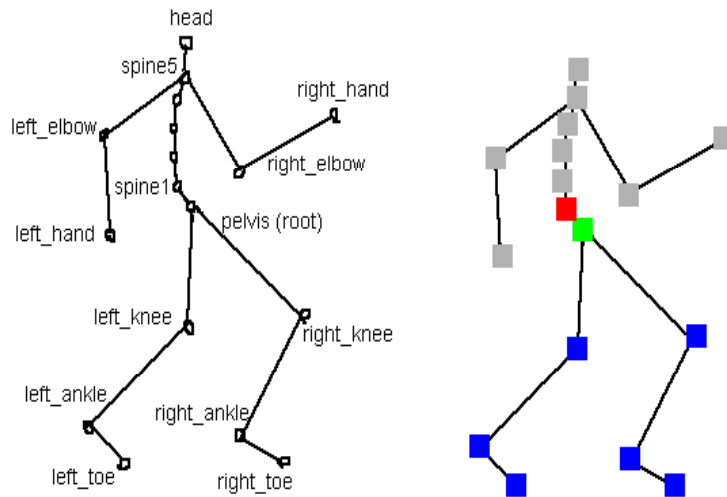


Clip courtesy of Ilya Baran

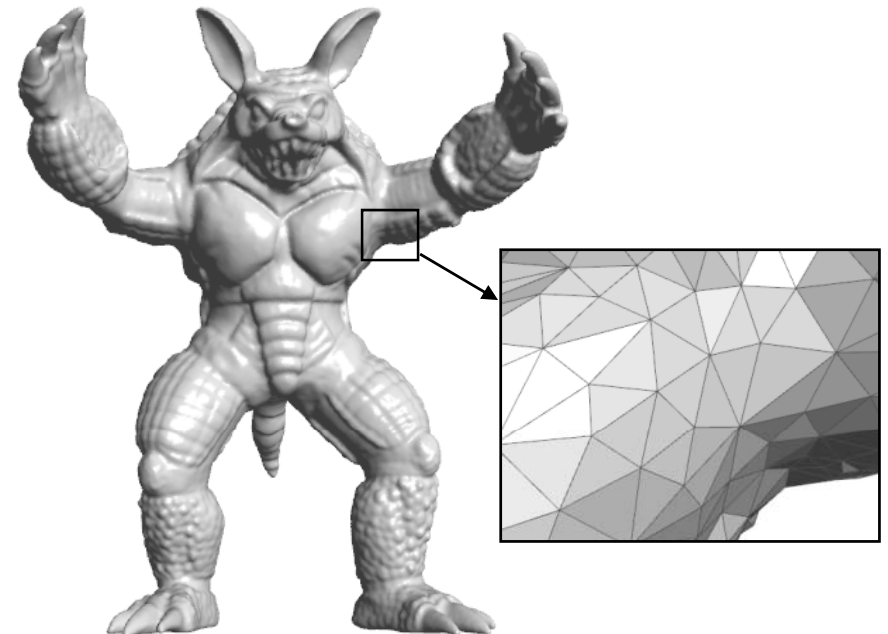


Discrete representation

- Skeleton:
 - collection of line segments
 - connected by joints

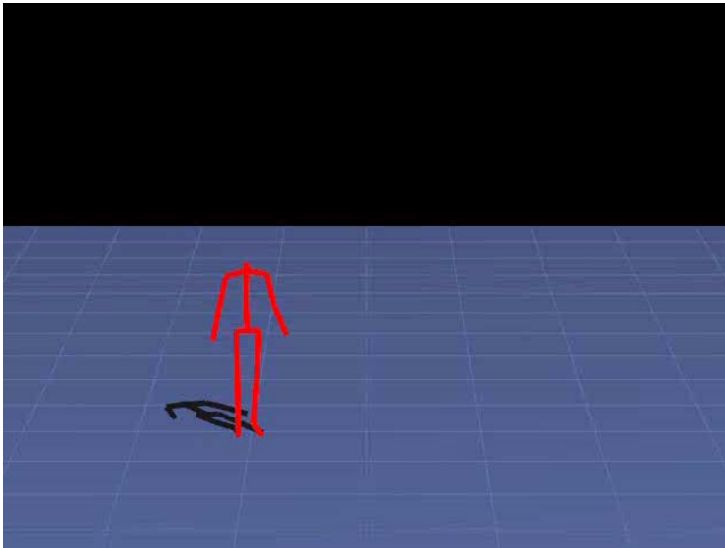


- Skin:
 - discrete samples of the surface
 - polygonal mesh

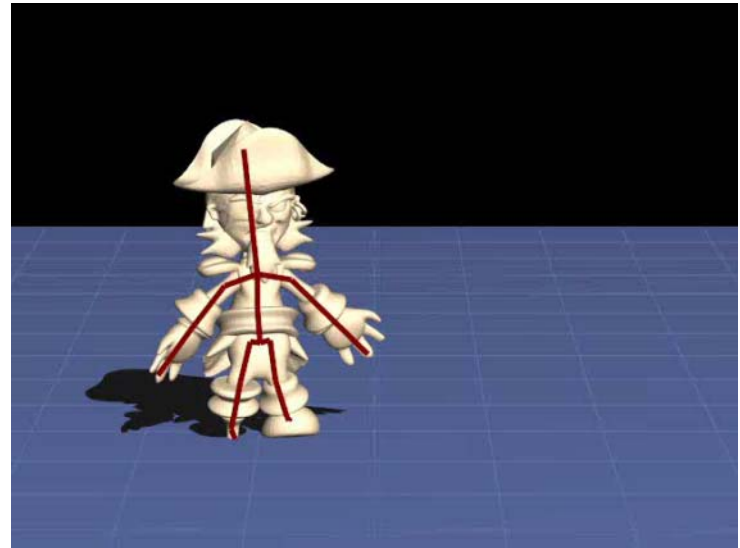


Skin + skeleton

- Skeleton defines the overall motion

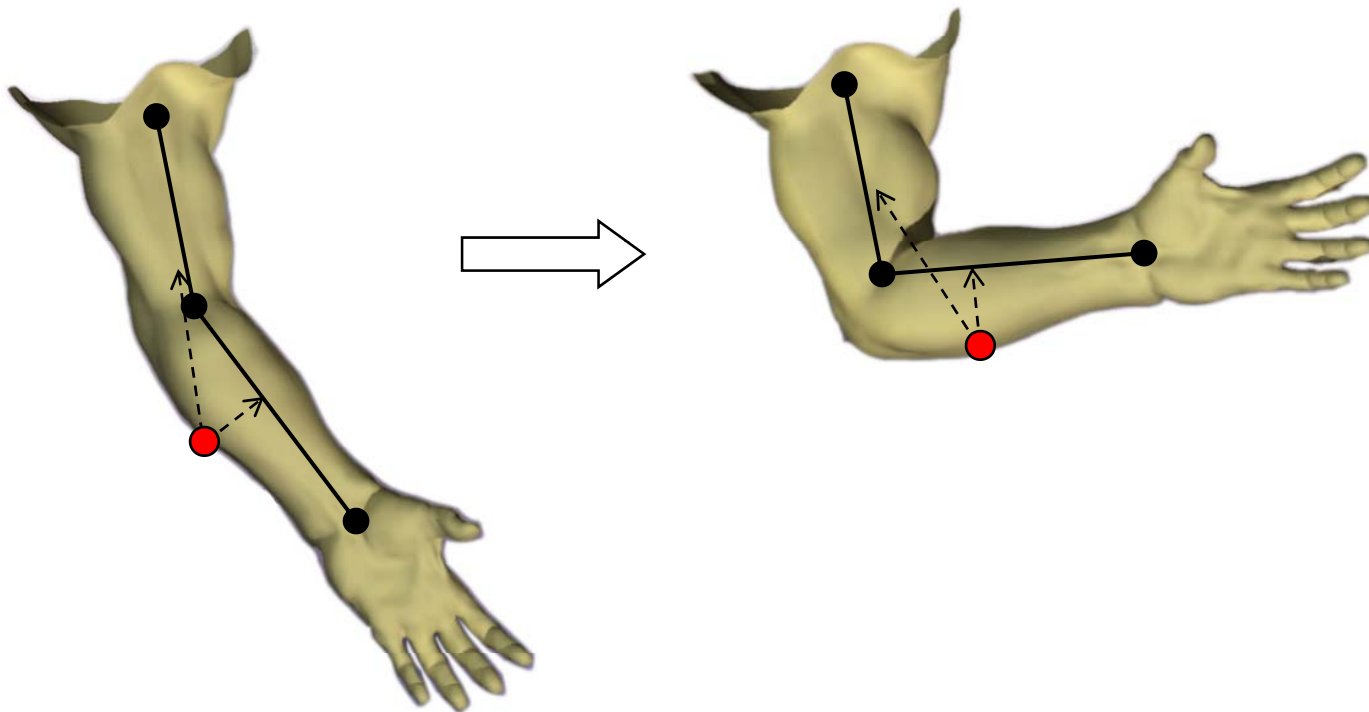


- Skin moves with the skeleton



The process of building the skeleton and binding it to the skin mesh is called **rigging**.

Skeletal subspace deformation (SSD)

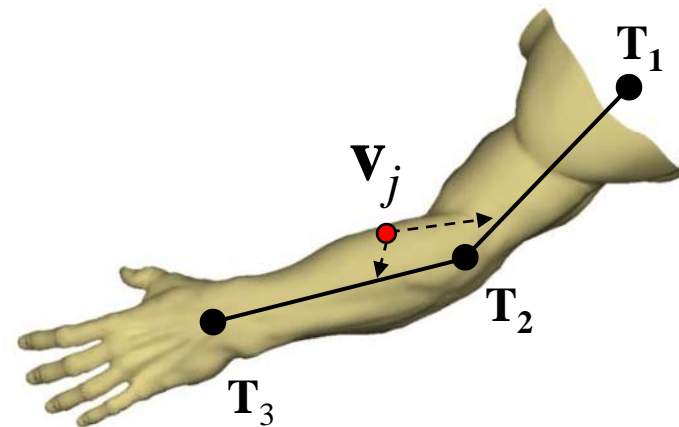


The artist needs to specify, for each point on the skin, how much it is influenced by the skeleton bones.

Skeletal subspace deformation (SSD)

- Affine combination of transformations

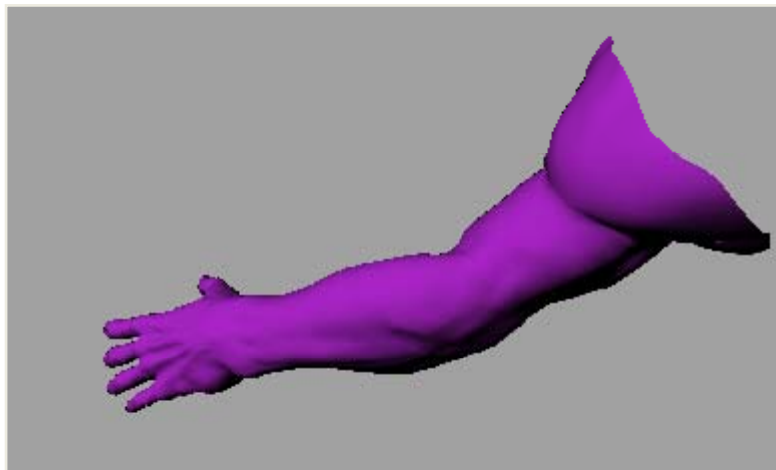
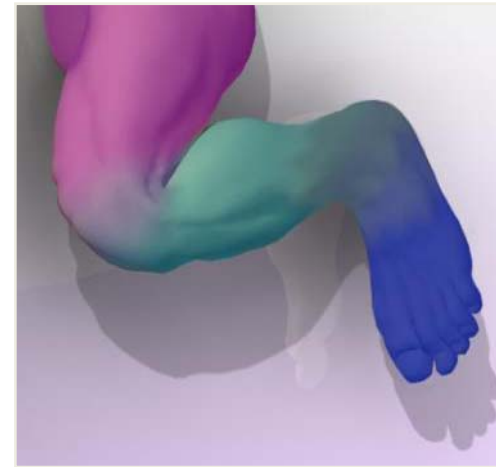
$$\mathbf{v}'_j = \sum_{k=1}^K w_{kj} \cdot \mathbf{T}_k \cdot \mathbf{v}_j$$



- De facto standard for interactive applications – simple + fast + works on the GPU

Skeletal subspace deformation (SSD)

- Hard to set up
- Visual artifacts
- No context

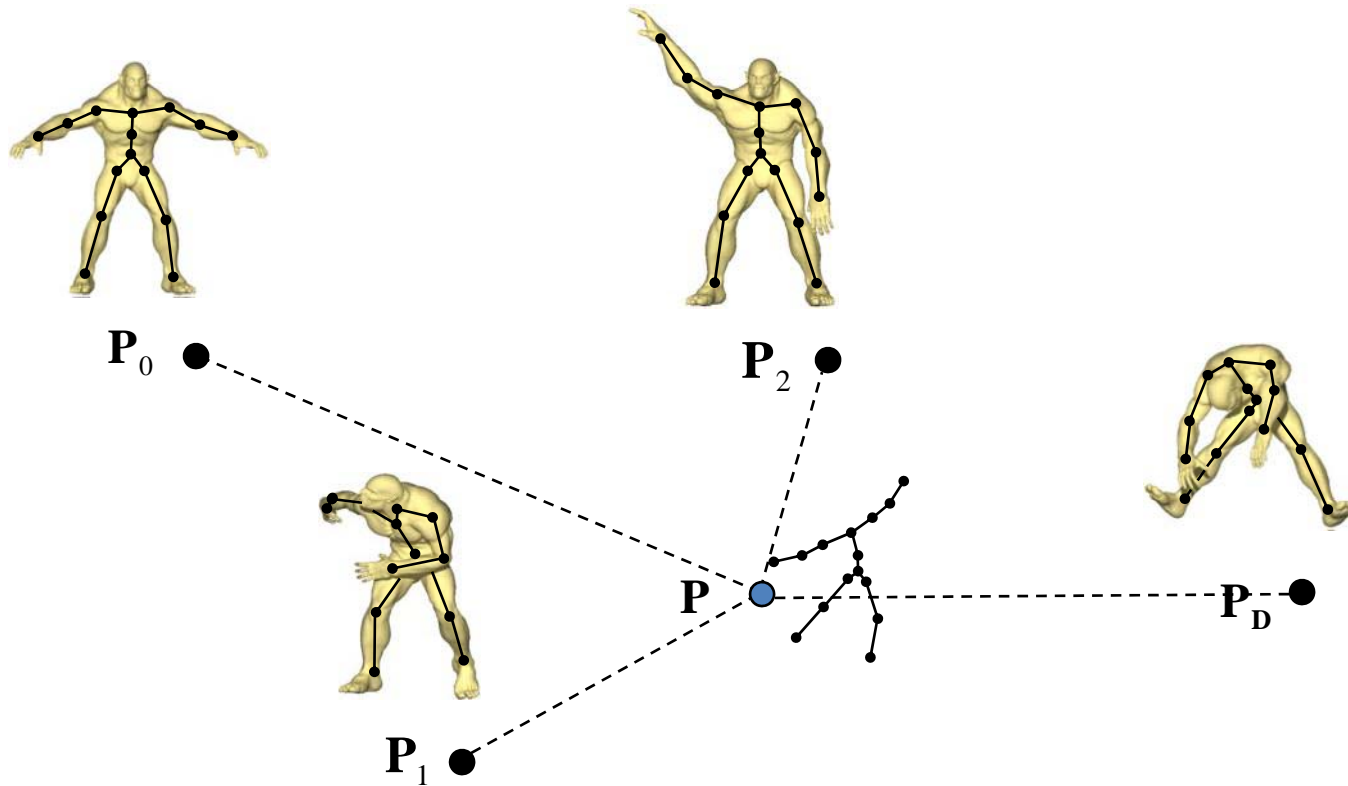


Pose space deformation (PSD)

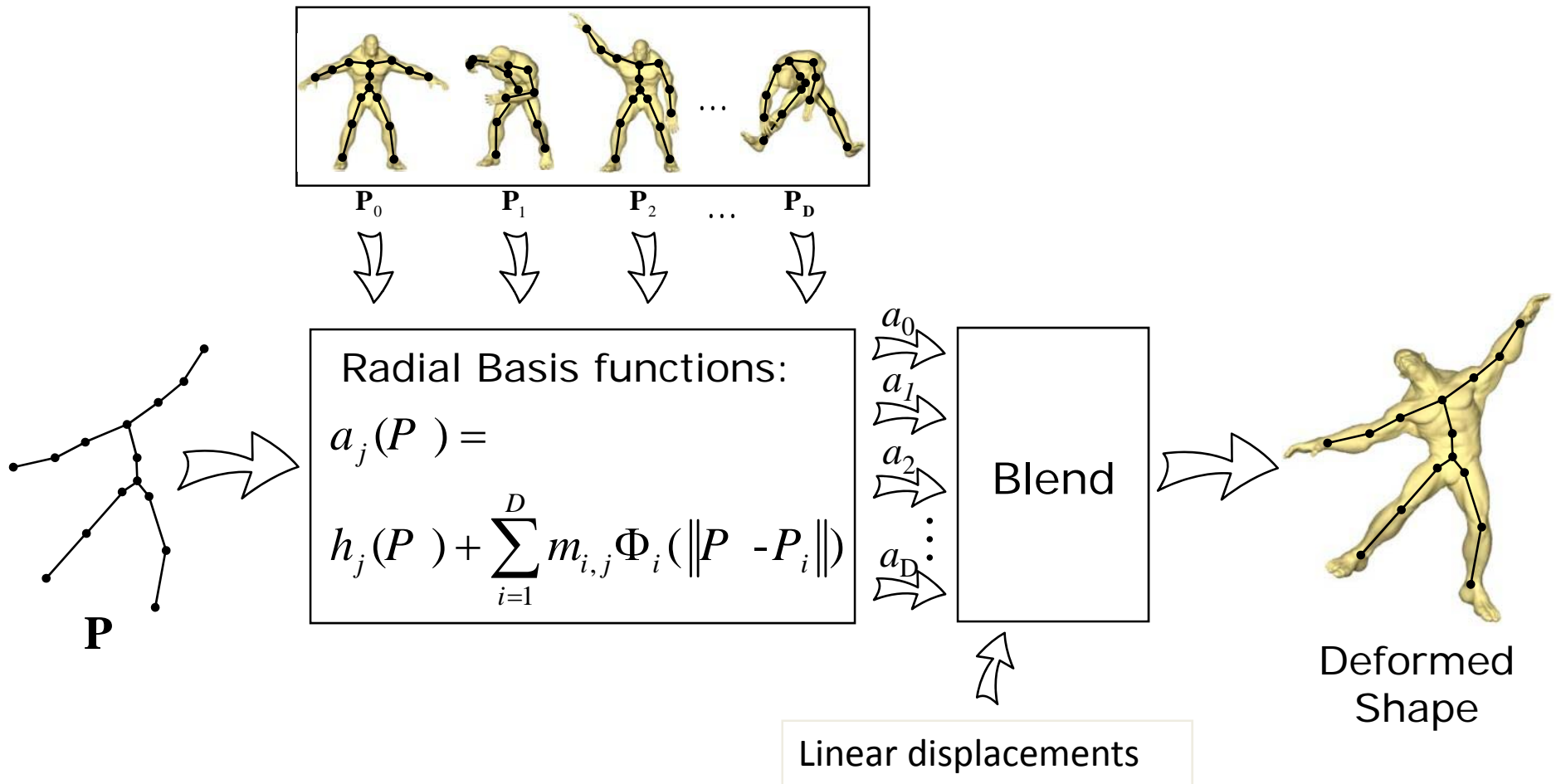
[Lewis et al. 2000, Sloan et al. 2001]

Each degree of freedom of the skeleton is a dimension:

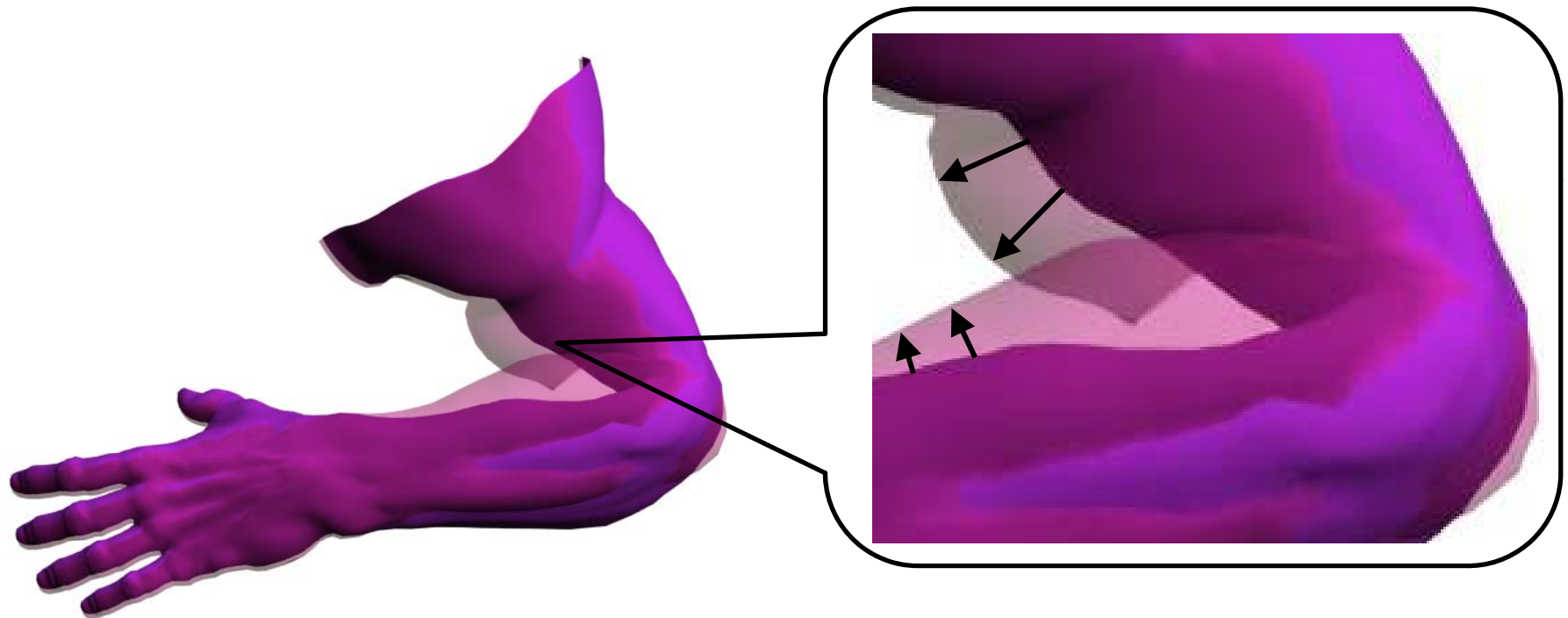
$$\mathbf{P} = (\alpha_1, \beta_1, \gamma_1, \alpha_2, \beta_2, \gamma_2, \dots, \alpha_K, \beta_K, \gamma_K)$$



Pose space deformation (PSD)

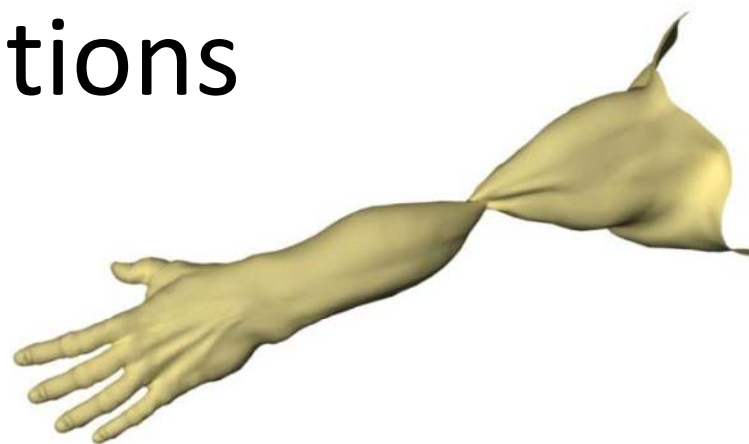


Pose space deformation (PSD)

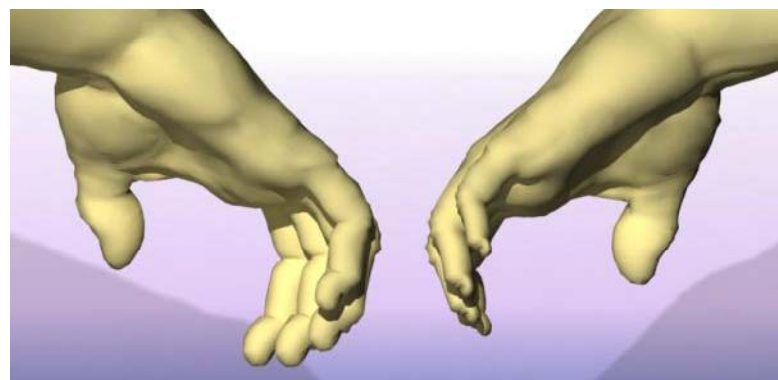


PSD limitations

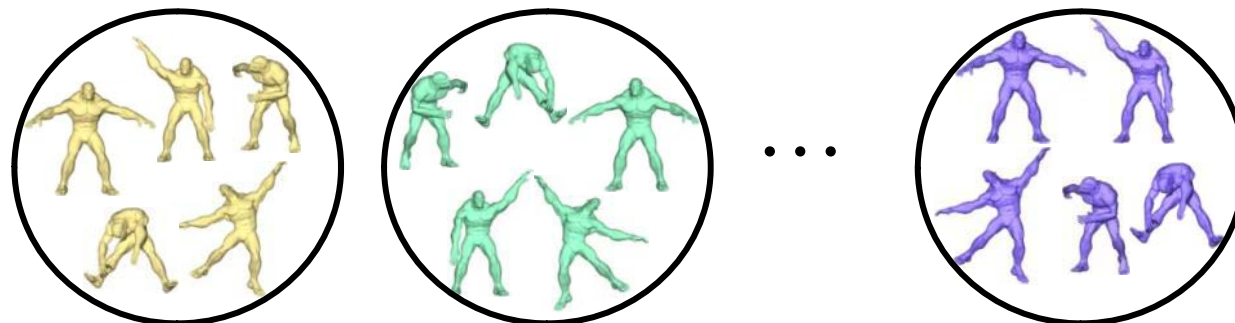
- SSD – artifacts, requires many examples + setup



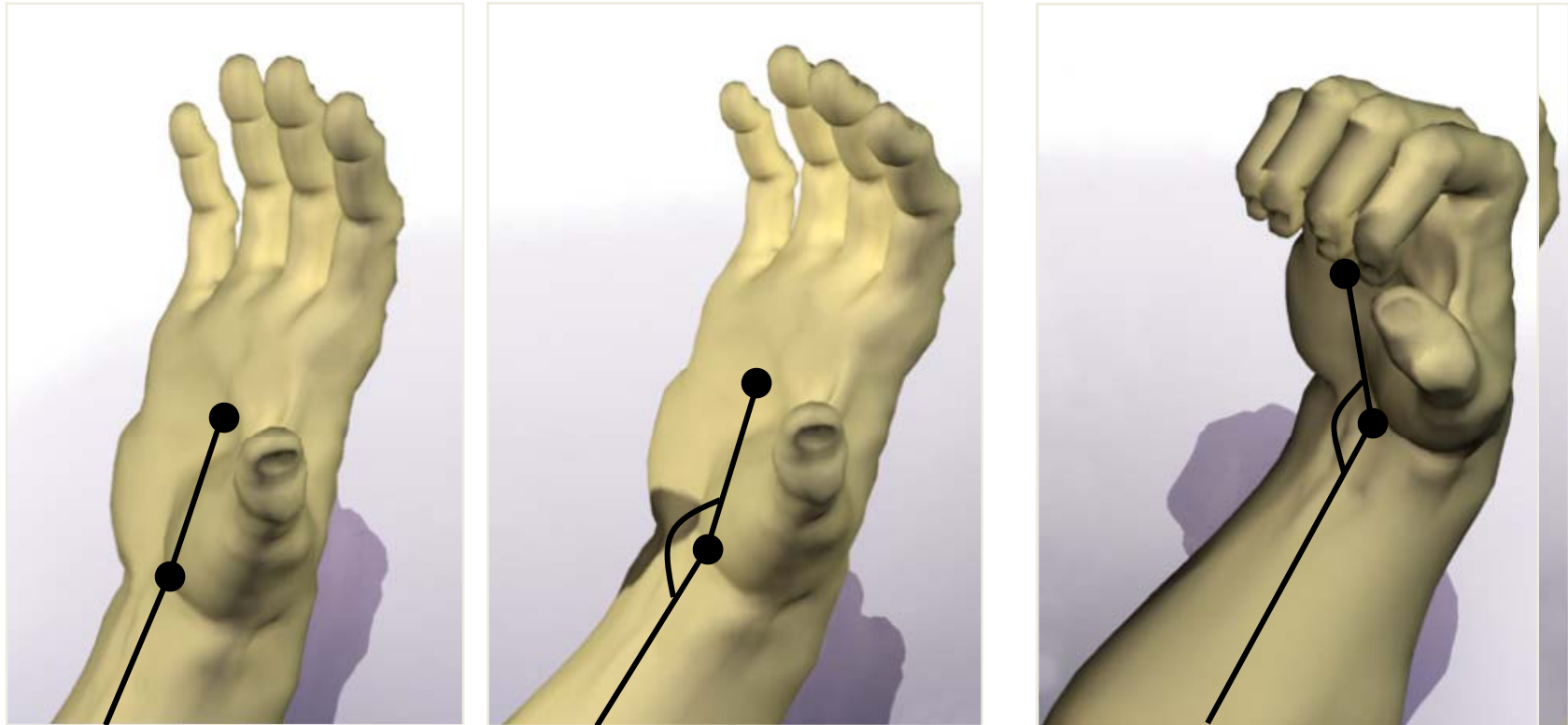
- Linear displacements – no rotation



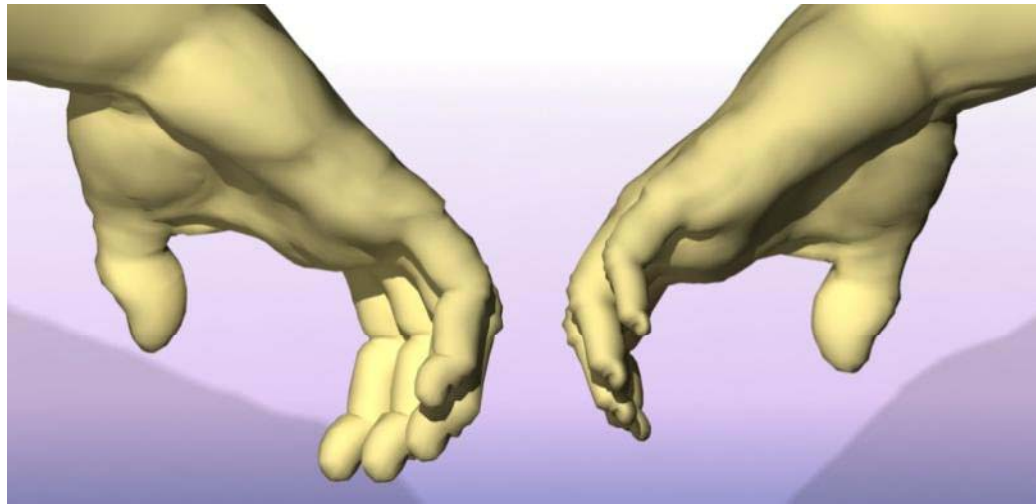
- High memory consumption, performance



Rotation interpolation and extrapolation



Linear displacements (PSD)



Context-Aware Skeletal Shape Deformation

Eurographics 2007

Ofir Weber
Olga Sorkine
Yaron Lipman
Craig Gotsman

The contributions

- Replace SSD by detail-preserving mesh deformation

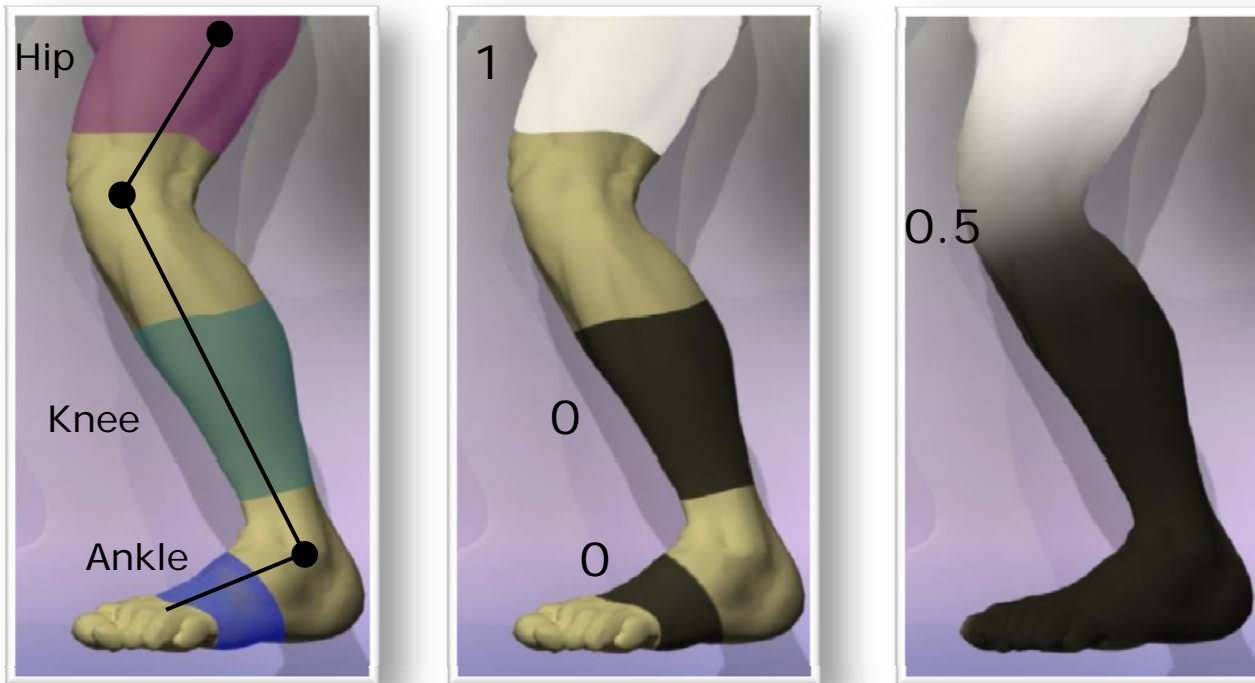
[Sorkine et al. 2004, Sumner et al. 2004, Yu et al. 2004, Lipman et al. 2005, Zayer et al. 2005]

- Easy setup
- Differential morphing
- Sparse representation of example shapes

Other previous work

- **Pose Space Deformation** [Lewis et al. 2000, Sloan et al. 2001, Kry et al. 2002, Kurihara et al. 2004, Rhee et al. 2006]
- **Detail-preserving mesh deformation** [Sorkine et al. 2004, Sumner et al. 2004, Yu et al. 2004, Lipman et al. 2005, Zayer et al. 2005...]
Survey: [Botsch and Sorkine 2008]
- **MeshIK** [Sumner et al. 2005, Der et al. 2006]
- **SCAPE** [Anguelov et al. 2005]

Detail-preserving deformation



$$\Delta \mathbf{w}_k = 0$$

Dirichlet boundary conditions:

$$\mathbf{w}_k(t_n) = 1 \text{ for } t_n \in H_k$$

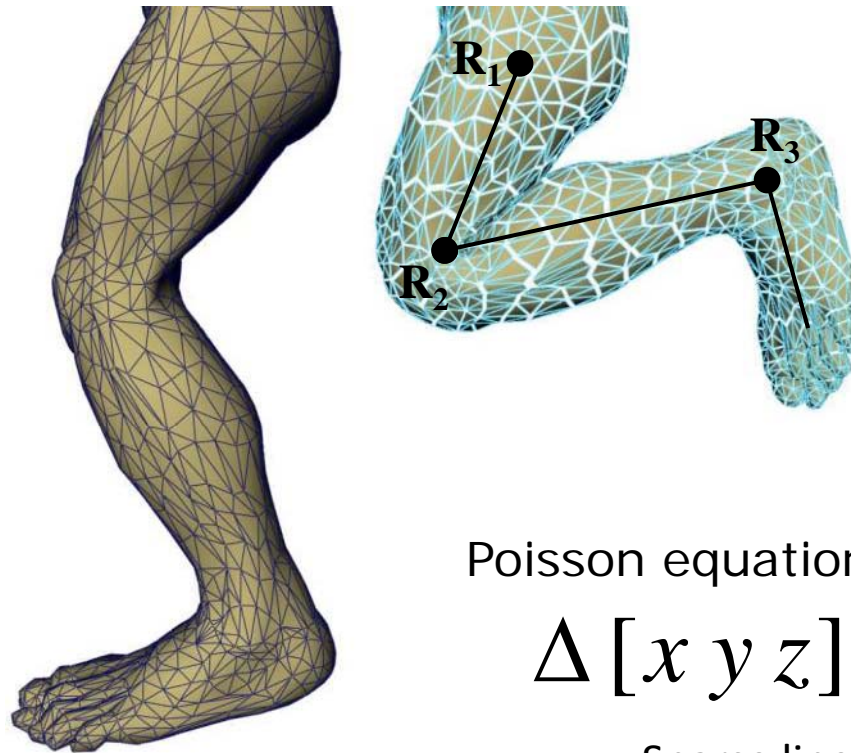
$$\mathbf{w}_k(t_n) = 0 \text{ for } t_n \in H_l \text{ where } l \neq k.$$

Blending rotations

For each face t :

$$\mathbf{R}(t) = \mathbf{w}_1(t)\mathbf{R}_1 \oplus \mathbf{w}_2(t)\mathbf{R}_2 \oplus \dots \oplus \mathbf{w}_K(t)\mathbf{R}_K$$

\oplus : [Buss 93]
log-quaternion

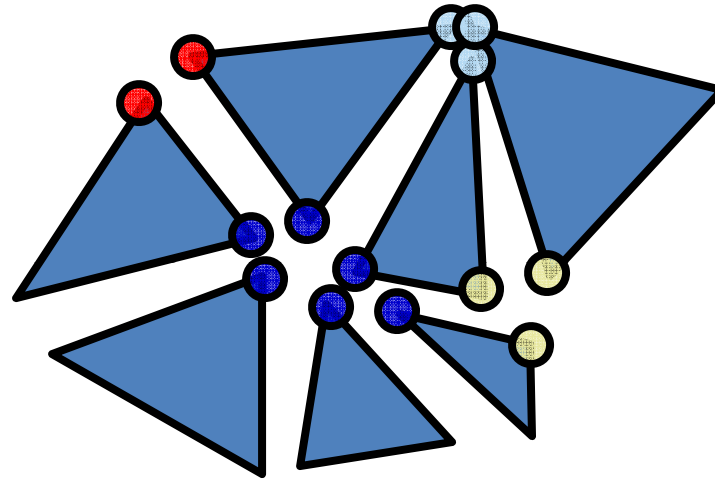


Poisson equation [Yu et al. 2004]

$$\Delta [x \ y \ z] = \text{div} [\mathbf{R}]$$

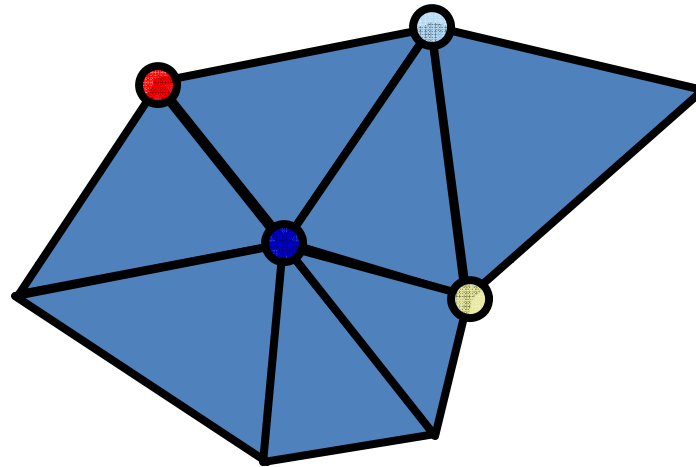
Sparse linear system

Poisson stitching



- The Poisson equation averages the different vertex positions
- Tries to preserve the shape and orientation of the triangles as much as possible

Poisson stitching



- The Poisson equation averages the different vertex positions
- Tries to preserve the shape and orientation of the triangles as much as possible

Setup



Comparison to SSD



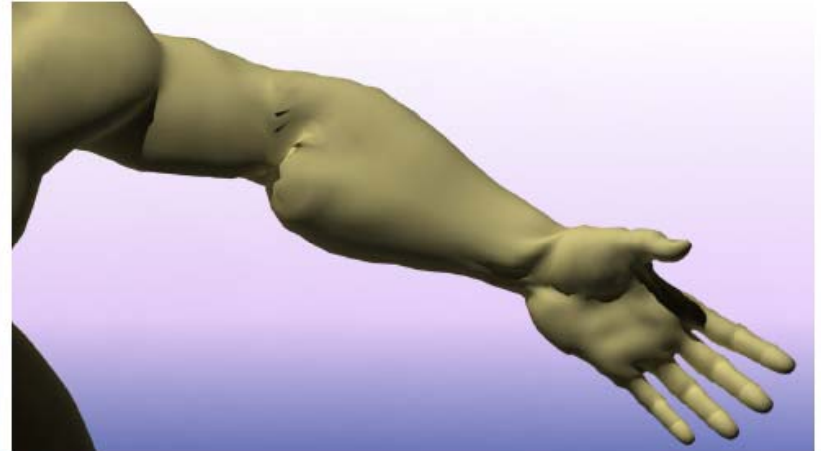
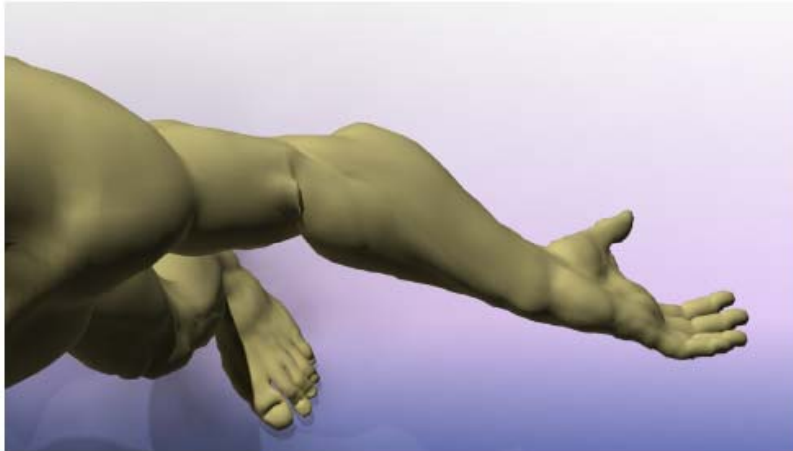
Context-aware SSD



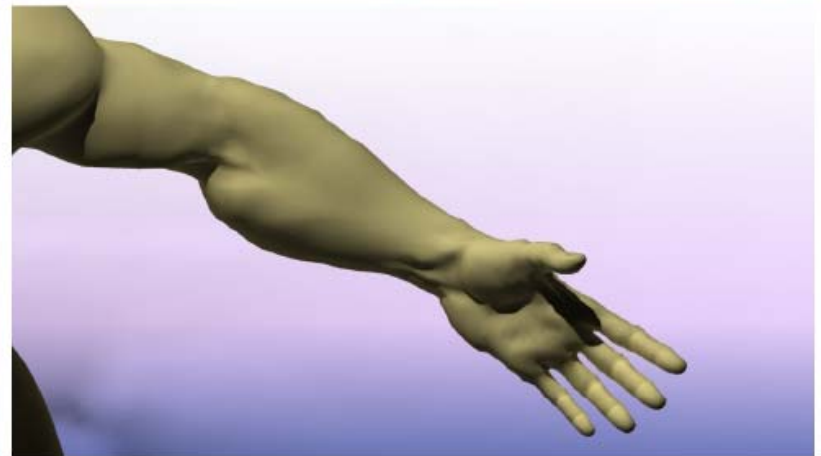
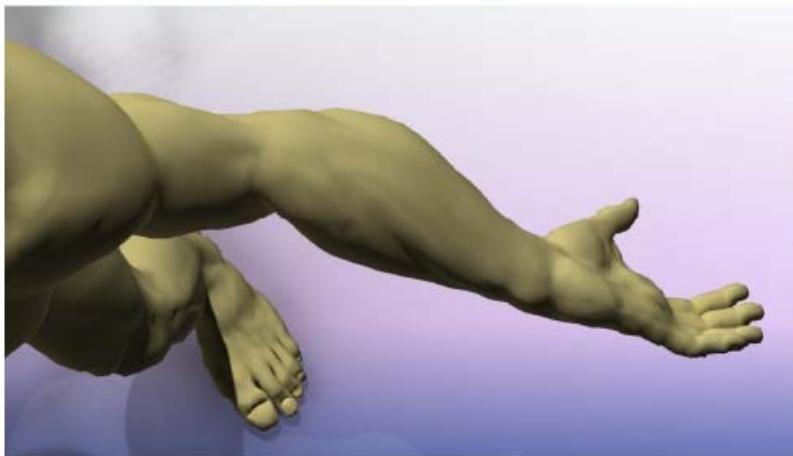
SSD

Comparison to SSD

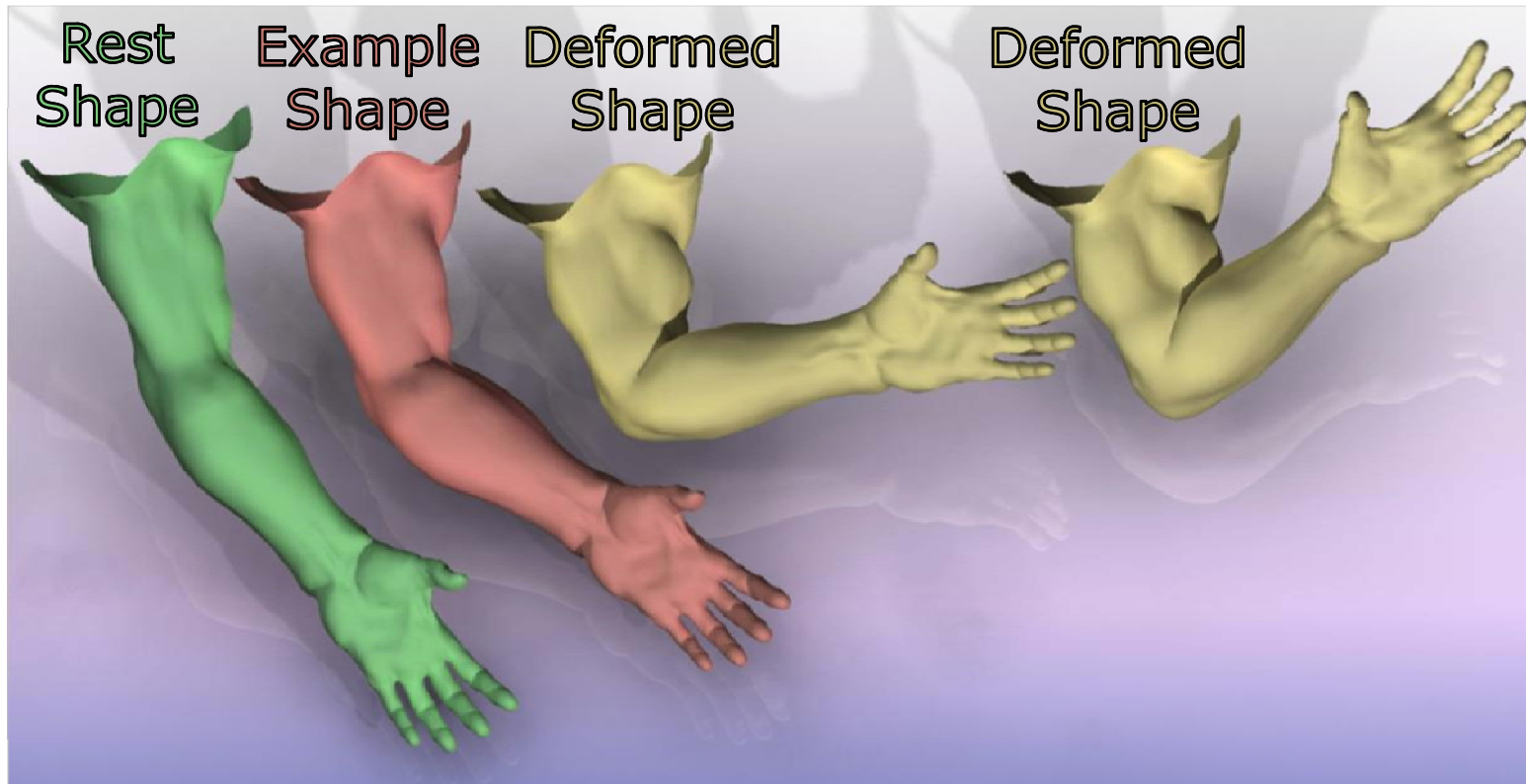
SSD



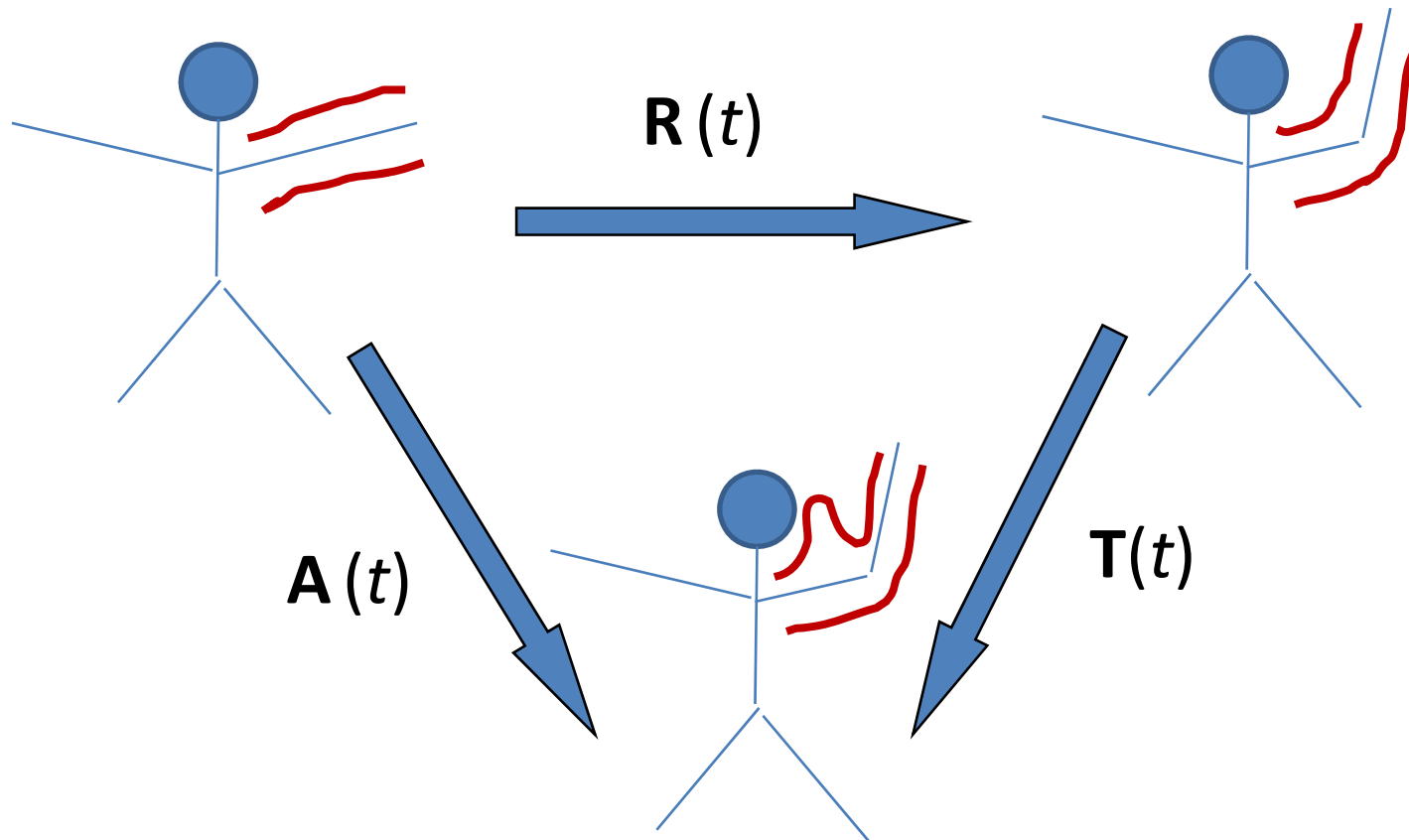
CASSD



Using context – examples

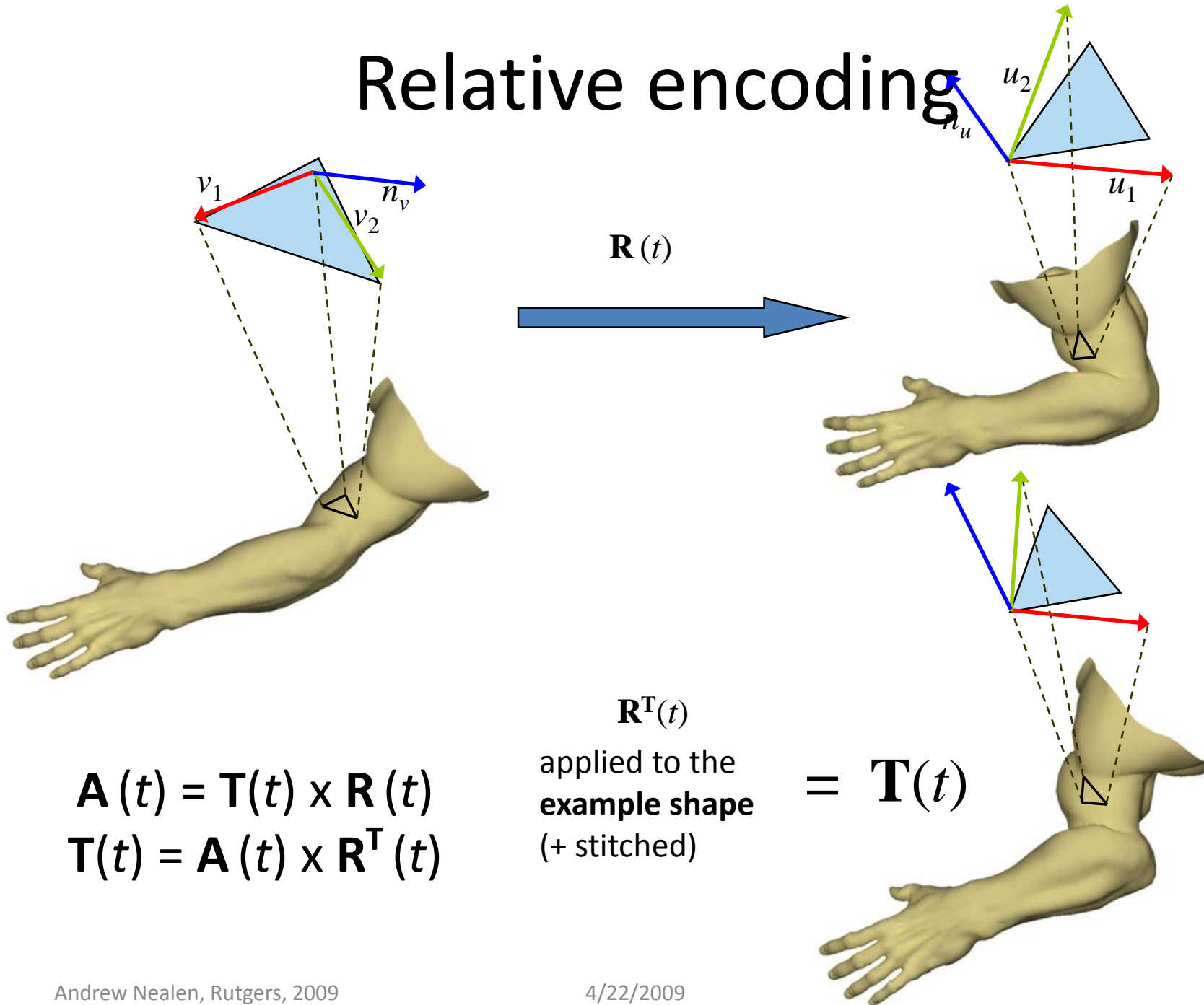


Relative encoding

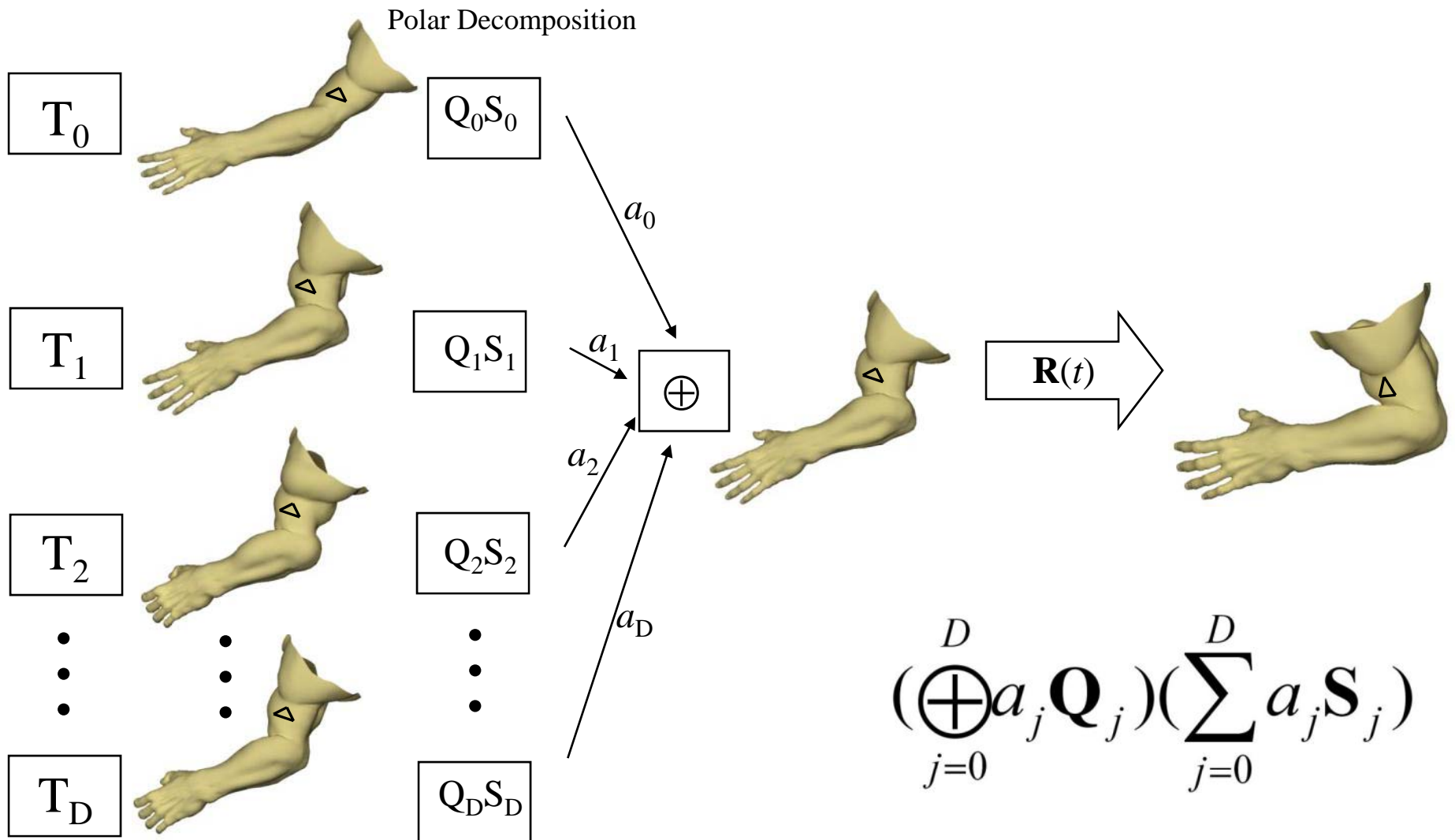


$$\mathbf{A}(t) = \mathbf{T}(t) \times \mathbf{R}(t)$$
$$\mathbf{T}(t) = \mathbf{A}(t) \times \mathbf{R}^T(t)$$

Relative encoding



Blending transformations



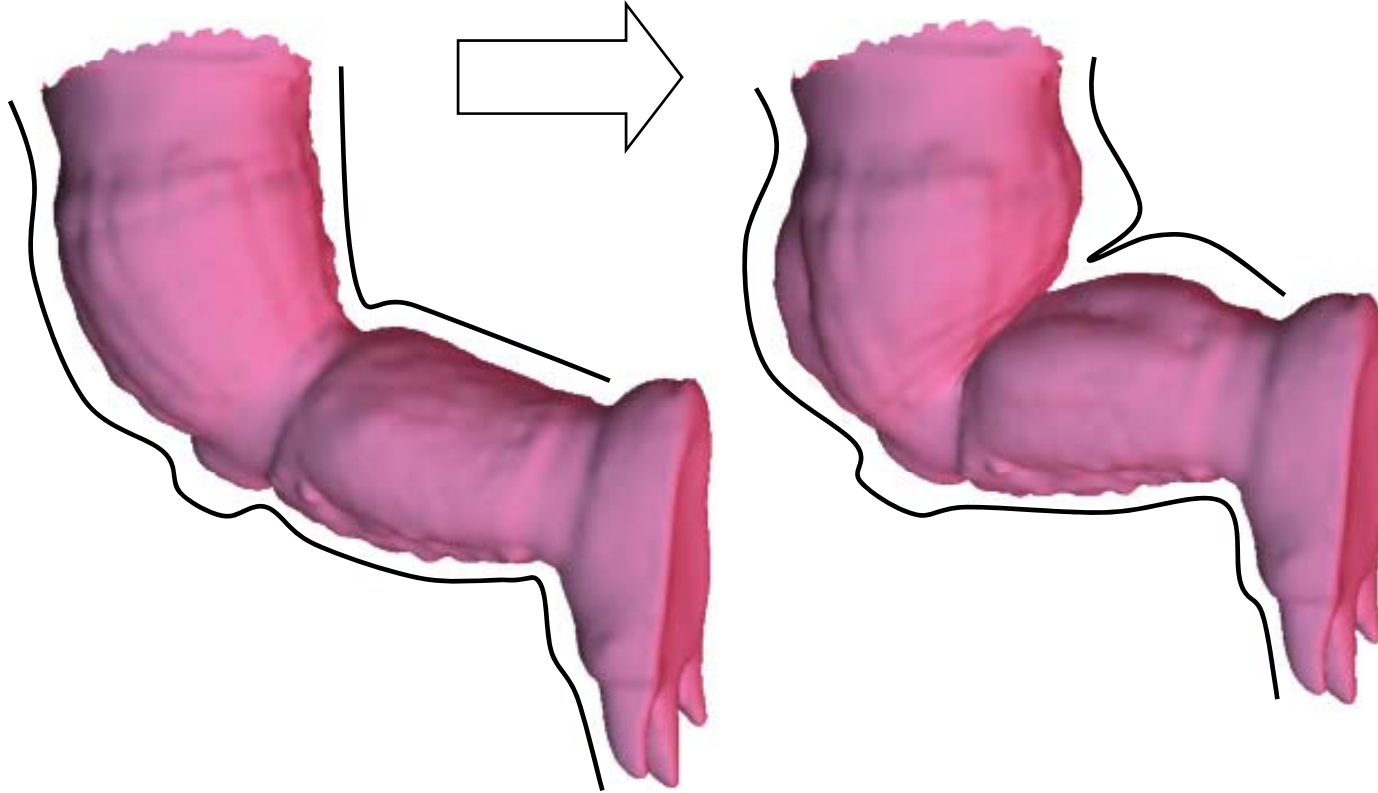


Smooth Difference

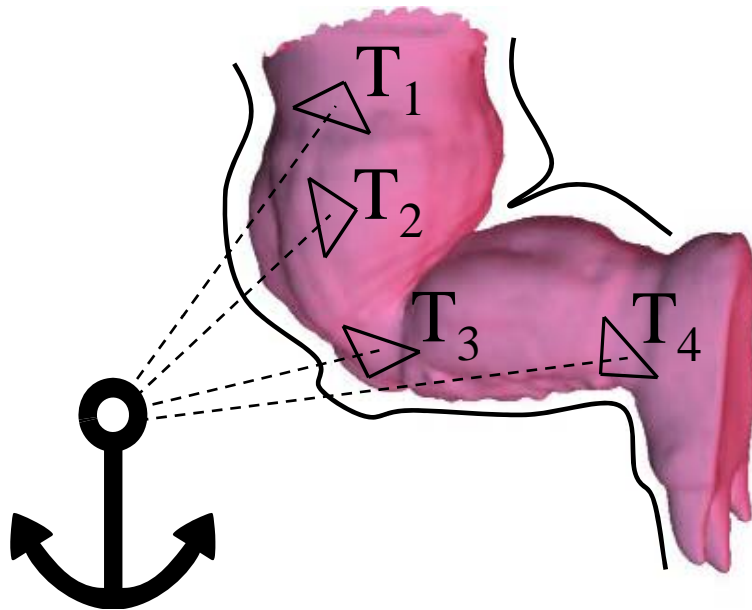
Deformation
without
Examples

Smooth

Example



Compact Representation



- Transformations varies smoothly
- Laplace equation
- Less than 5% memory
- Evaluation only at anchors – performance
- Greedy selection

$$\Delta T = 0$$

Boundary conditions:
known T 's at anchors

See Least-squares Meshes
[Sorkine and Cohen-Or 2004]



One more result...



Conclusions

- Detail-preserving skeletal shape deformation
- Easy setup
- No or small number of examples
- Interpolation and meaningful extrapolation
- Sparse representation of examples

Limitations and extensions

- No dynamics
- The greedy algorithm is not optimal
- Map to GPU → Wang et al. SIGGRAPH 2007